



ΕΛΛΗΝΙΚΗ ΔΗΜΟΚΡΑΤΙΑ
ΠΑΝΕΠΙΣΤΗΜΙΟ ΚΡΗΤΗΣ

Ψηφιακή Επεξεργασία Φωνής

Διάλεξη: Μοντελοποίηση Σήματος Πηγής με
Χρήση Γλωττιδικών Μοντέλων

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Τμήμα Επιστήμης Υπολογιστών

Voice source modeling using a glottal model

Gilles Degottex

UoC-CSD/FORTH-ICS - Ircam/CNRS-UMR9912-STMS

1 Introduction

2 Glottal source modeling & Voice production model

3 Analysis

4 Application - Voice transformation

Introduction

Motivations and Applications

Applications:

- Voice transformation
- Speech synthesis
- Identity conversion
- Expressive synthesis

Motivations and Applications

Applications:

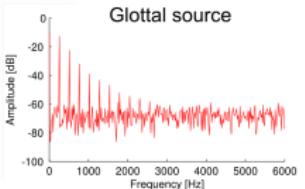
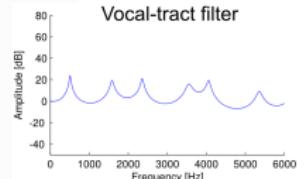
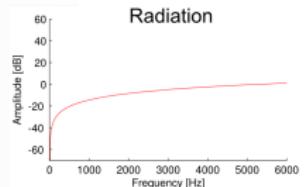
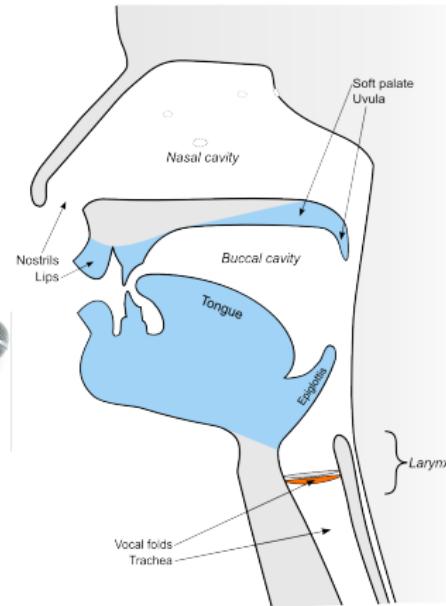
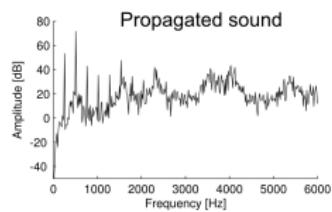
- Voice transformation
- Speech synthesis
- Identity conversion
- Expressive synthesis

For ...

- Contemporary musique, sound installations
- Music and Cinema
- Video games
- Communication technologies

Approach based on signal processing

Voice production



Approach based on signal processing

Source-filter model:

$$S(\omega) = G^{\theta_g}(\omega) \cdot C^{\theta_c}(\omega) \cdot L^{\theta_l}(\omega)$$

Waveform = Glottal-Source · Vocal-Tract-Filter · Radiation
with the parameters $\theta_g, \theta_c, \theta_l$ of each element

Approach based on signal processing

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Model inversion:

E.G. General expression of the glottal source:

$$G(\omega) = \frac{S(\omega)}{C^{\theta_c}(\omega) \cdot L^{\theta_l}(\omega)}$$

Approach based on signal processing

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- + Simplicity of inversion
- Strong approximation

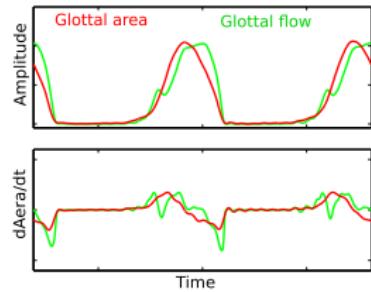
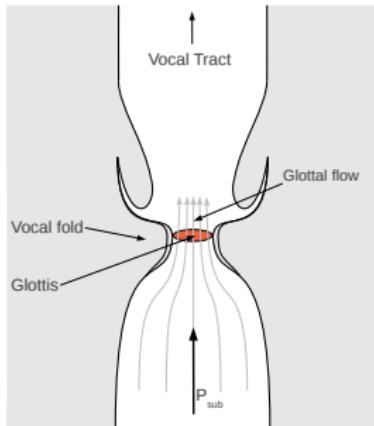
hyp: Sufficient for voice manipulation with respect to perception

Glottal source modeling & Voice production model

The glottal source $G(\omega)$ - Vocal folds, Glottal area and Flow



©Erkki Bianco & Ircam property [1]

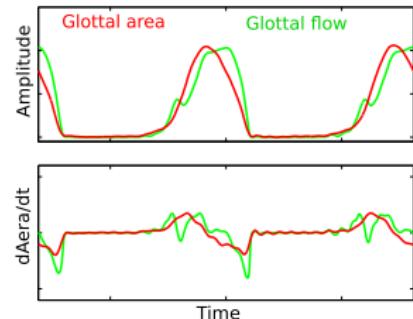


Glottal flow Air flow going through the glottis.

Glottal source in the source-filter model is an approximation of the glottal flow which should be sufficient for perceptual manipulation of the voice.

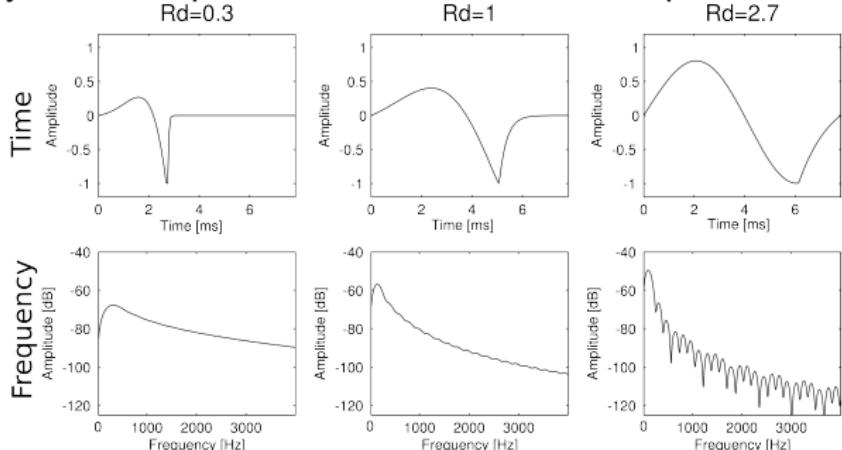
¹ <http://gillesdegottex.eu/IrcamUSC>

The glottal source $G(\omega)$ - The Transformed Liljencrants-Fant model (LF)

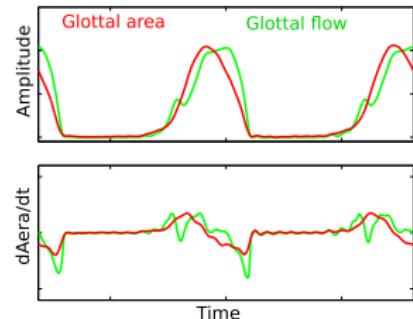


Glottal model = analytical description of the deterministic component

- $1/f_0$ Time duration
- E Amplitude
- ϕ Time position
- Rd Shape



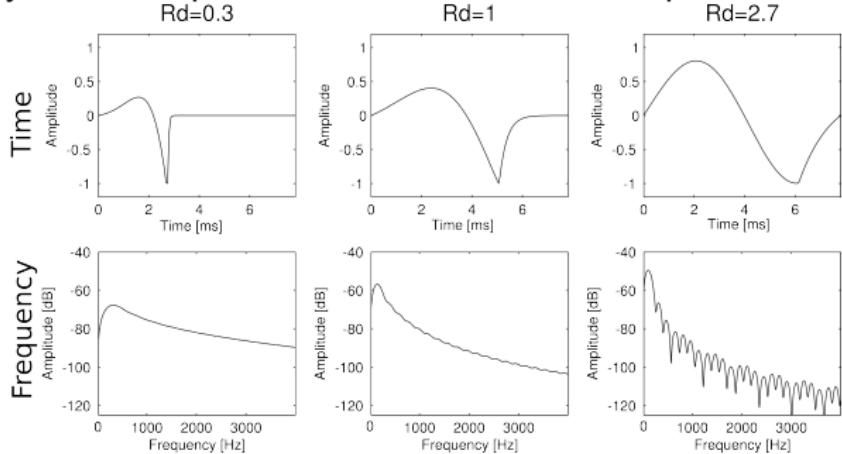
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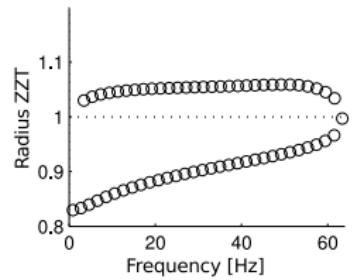
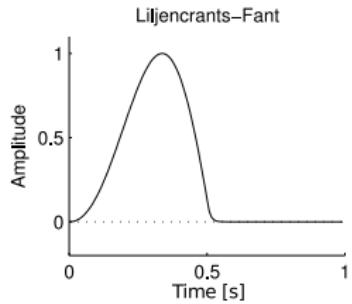
The glottal source $G(\omega)$ - Its use

Given a glottal model:

- * How to estimate its parameters ?
- * Comment estimer le filtre du conduit-vocal ?
- * Comment transformer et synthétiser un signal vocal ?

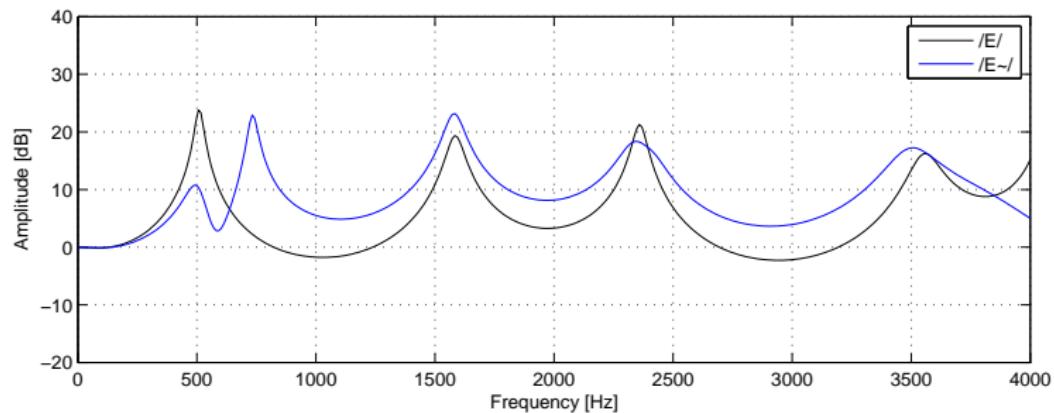
The glottal source $G(\omega)$ - Mixed-phase property of the glottal pulse

The glottal pulse is a **mixed-phase signal**.



The Vocal Tract Filter $C(\omega)$

It represents the resonances and anti-resonances of the vocal tract.



Passivity: The poles are inside the UC.

Postulate: The zeros are also inside the UC.

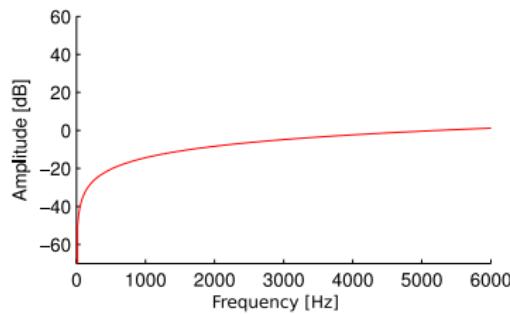
$\Rightarrow C(\omega)$ is minimum-phase.

This difference of phase property is the basis for parameter estimation.

The radiation $L(\omega)$

Constant model, without parameters [1]:

$$L(\omega) = j \cdot \omega$$



¹ J.L. Flanagan, *Speech Analysis Synthesis and Perception*, Springer Verlag, 1972.

Complete model of the voice production

hyp: Split by a Voiced/Unvoiced Frequency (VUF):

$$S(\omega) = \begin{cases} e^{j\omega\phi} \cdot H^{f_0}(\omega) \cdot G^{(Rd, f_0)}(\omega) \cdot C_-(\omega) \cdot j\omega & \text{pour } \omega < \text{VUF} \\ N^{\sigma_g}(\omega) \cdot C_-(\omega) \cdot j\omega & \text{pour } \omega > \text{VUF} \end{cases}$$

$G^{(Rd, f_0)}(\omega)$ Shape of the glottal model

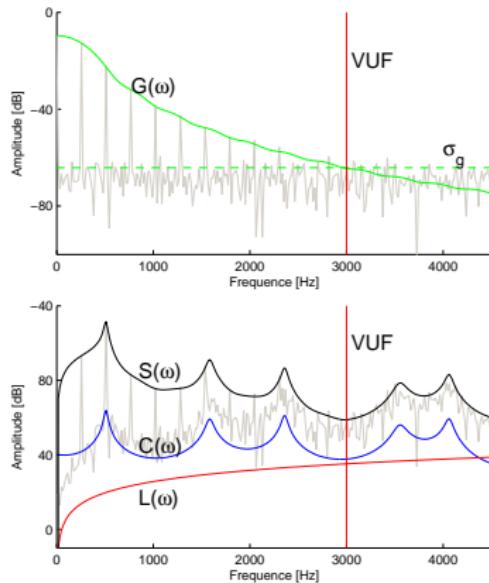
$e^{j\omega\phi}$ Time position of the shape

$H^{f_0}(\omega)$ Harmonicity

$N^{\sigma_g}(\omega)$ Turbulence noise

$C_-(\omega)$ Vocal Tract Filter (VTF)

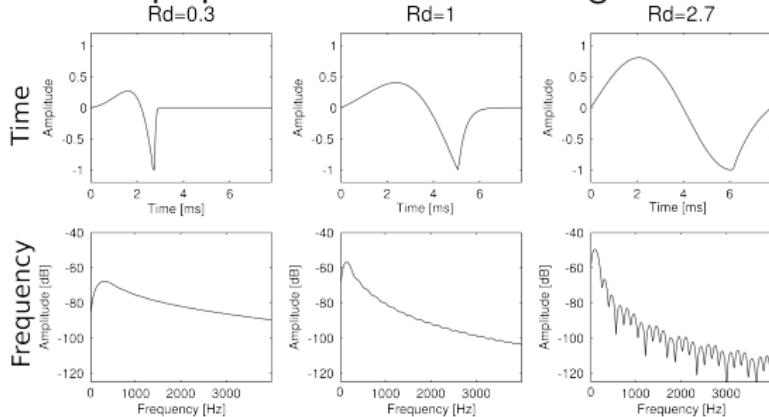
$j\omega$ Radiation



Estimation of the glottal parameters

Harmonic model for the Rd estimation

Estimation of the shape parameter Rd of the LF glottal model



hyp: f_0 is known \Rightarrow harmonic model:

$$\begin{aligned} S(\omega_h) &= e^{j\omega_h \phi} \cdot G^{(Rd, f_0)}(\omega_h) \cdot C_-(\omega_h) \cdot j\omega_h \\ S_h &= e^{jh\phi} \cdot G_h^{Rd} \cdot C_{h-} \cdot jh \end{aligned}$$

Indexed notation ! $X_h \equiv X(\omega_h)$

Vocal Tract Filter general expression

The general expression of the glottal source and the vocal tract filter are:

$$e^{jh\phi} \cdot G_h^{Rd} = \frac{S_h}{C_{h-} \cdot jh} \quad C_{h-} = \frac{S_h}{e^{jh\phi} \cdot G_h^{Rd} \cdot jh}$$

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For the VTF, we force it to be minimum-phase using $\mathcal{E}_-(.)$

$$C_{h-} = \mathcal{E}_- \left(\frac{S_h}{G_h^{Rd} \cdot jh} \right)$$

Phase Minimization Criterion [1]

The convolutive residual:

$$R_h = \frac{S_h}{M_h^{(Rd, \phi)}}$$

$$M_h^{(Rd, \phi)} = S_h \Leftrightarrow R_h^{(Rd, \phi)} = 1 \quad \forall h$$

\Rightarrow

$$|R_h^{(Rd, \phi)}| = 1 \quad \text{and} \quad \angle R_h^{(Rd, \phi)} = 0 \quad \forall h$$

Idea

- Ensure an unitary amplitude spectrum
- Minimize the phase spectrum

[1] R. Smits and B. Yegnanarayana, *Determination of Instant of Significant Excitation in Speech Using Group Delay Function*, IEEE Trans. Speech and Audio Processing, vol. 3, pp. 325–333, 1995.

Mean Squared Phase (MSP)

In the context of the used voice production model

$$R_h^{(Rd,\phi)} = \frac{S_h}{e^{jh\phi} \cdot G_h^{Rd} \cdot C_{h-} \cdot jh} = \frac{S_h}{e^{jh\phi} \cdot G_h^{Rd} \cdot \mathcal{E}_-(S_h/G_h^{Rd} \cdot jh) \cdot jh}$$

Mean Squared Phase (MSP)

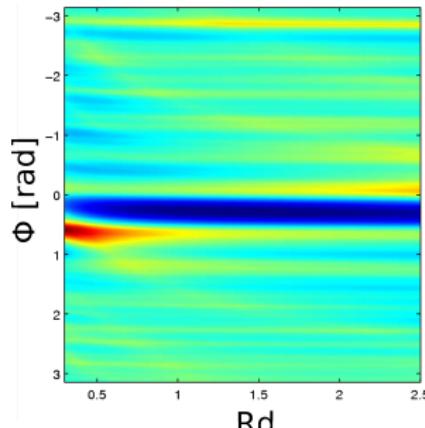
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Minimize the quadratic mean of the residual phase

$$\text{MSP}(Rd, \phi, N) = \frac{1}{N} \sum_{h=1}^N \left(\angle R_h^{(Rd, \phi)} \right)^2$$

Method MSP



Functions of Phase Distortion

Functions of Phase Distortion (FPD)

Functions of Phase Distortion of X_h :

$$\Phi_k(X_h) = \Delta^{-1} \Delta^2 \angle \left(\frac{X_h}{\mathcal{E}_-(X_h)} \right)$$

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$\mathcal{E}_-(.)$ Minimum phase realization of X_h
⇒ remove the VTF C_{h-}

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Δ^2 2nd order difference operator

\Rightarrow remove the linear-phase component $e^{jh\phi}$

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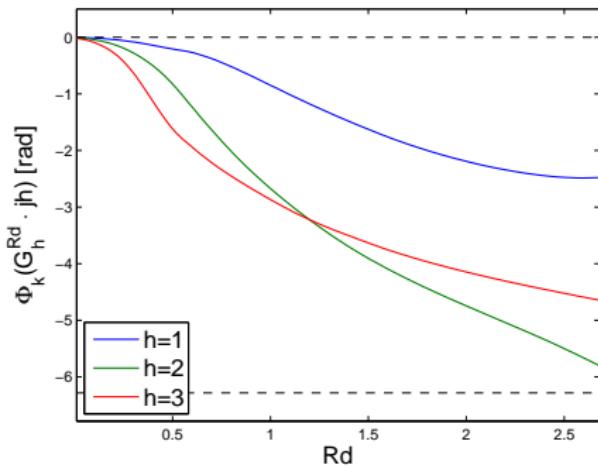
Δ^{-1} anti-difference operator

⇒ obtain a representation similar to the group-delay

FPD - Example

For the Liljencrants-Fant (LF) model:

$$\Phi_k(G_h^{Rd} \cdot jh) = \Delta^{-1} \Delta^2 \angle \left(\frac{G_h^{Rd} \cdot jh}{\mathcal{E}_-(G_h^{Rd} \cdot jh)} \right)$$



FPD - Properties

FPD

$$\Phi_k(X_h) = \Delta^{-1} \Delta^2 \angle \left(\frac{X_h}{\mathcal{E}_-(X_h)} \right)$$

Property of $\Phi_k(G_h^{Rd})$ for a glottal model:

- 1 Independent of the glottal pulse duration (period length)
- 2 Independent of the minimum-phase component
- 3 Independent of the time position of the glottal pulse
- 4 Independent of its amplitude E

⇒ Only related to the shape of the glottal pulse

FPD and phase minimization

The convolutive residual can be expressed as:

$$R_h^{Rd} = \frac{S_h}{e^{jh\phi} \cdot G_h^{Rd} \cdot \mathcal{E}_-(S_h/G_h^{Rd} \cdot jh) \cdot jh} = e^{-jh\phi} \frac{S_h/G_h^{Rd} \cdot jh}{\mathcal{E}_-(S_h/G_h^{Rd} \cdot jh)}$$

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To get ride fo the linear-phase term we can use the difference operators:

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Which is equal to the FPD:

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We therefore minimize the error:

$$\text{MSPD}^2(Rd, N) = \frac{1}{N} \sum_{k=1}^N (\Phi_k(S_h/G_h^{Rd} \cdot jh))^2$$

Method MSPD²

MSPD²: Mean Squared Phase using the 2nd order phase Difference

Method based on MSPD²

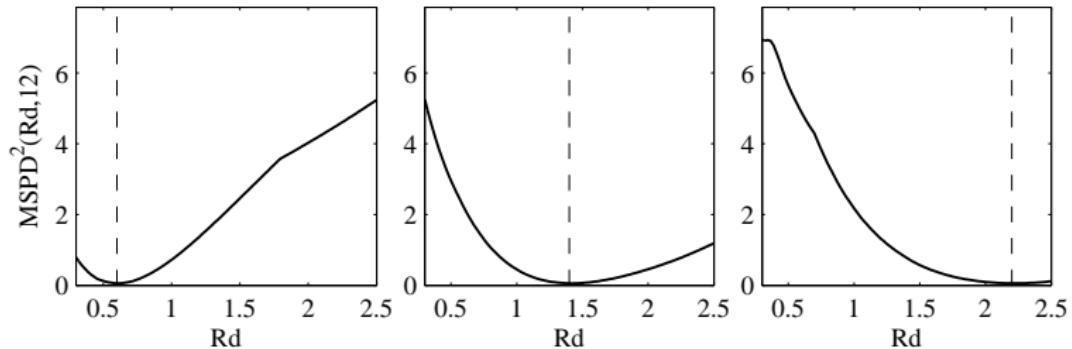


Figure: $\text{MSPD}^2(Rd, 12)$ with 3 different synthetic signals with different Rd values.

Quasi-closed form expression of the Rd parameter

FPD - Quasi-closed form expression of the Rd parameter

Goal: Find an explicit expression of Rd from S_h (e.g. $Rd = f(S_h)$)

$$S_h = e^{jh\phi} \cdot G_h^{Rd} \cdot \mathcal{E}_- \left(\frac{S_h}{G_h^{Rd} \cdot jh} \right) \cdot jh$$

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And we put observations and models on each side of the equation:

$$\frac{S_h}{\mathcal{E}_-(S_h)} = e^{jh\phi} \cdot \frac{G_h^{Rd} \cdot jh}{\mathcal{E}_-(G_h^{Rd} \cdot jh)}$$

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\Rightarrow

$$\Phi_k(S_h) = \Phi_k(G_h^{Rd} \cdot jh)$$

FPD - Expression quasi explicite de Rd - Méthode

$$\Phi_k(S_h) = \Phi_k(G_h^{Rd} \cdot jh)$$

for $\sigma_k = \Phi_k(S_h)$ find $Rd : \Phi_k(G_h^{Rd} \cdot jh) = \sigma_k$

Method FPD⁻¹

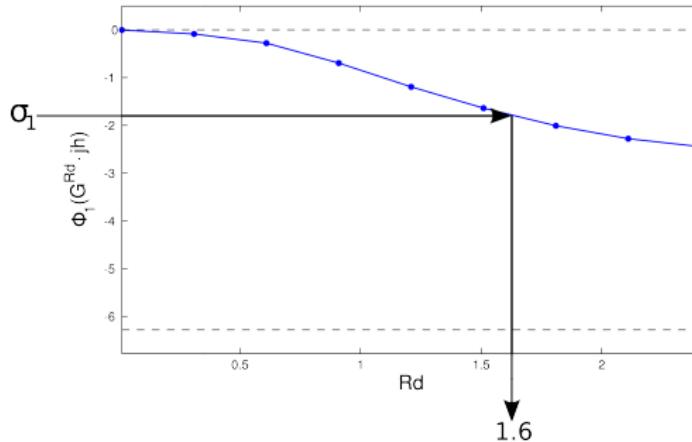
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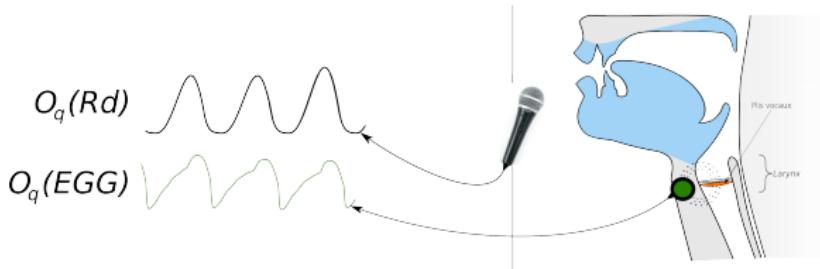
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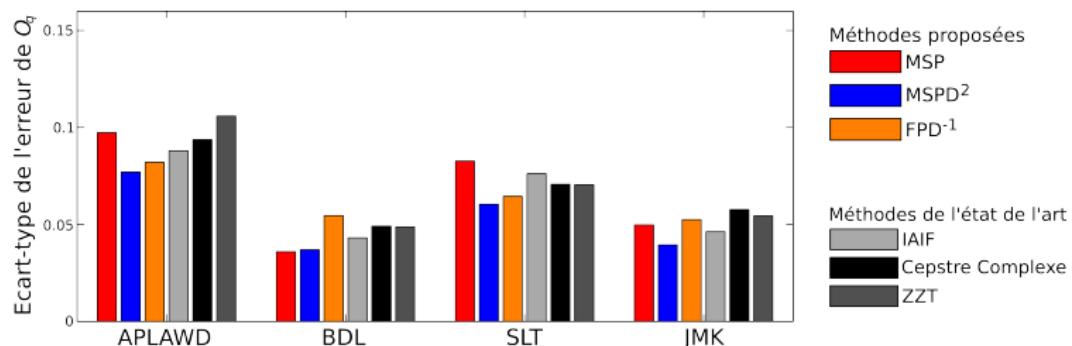
Numerical approximation using a lookup table:



Evaluation



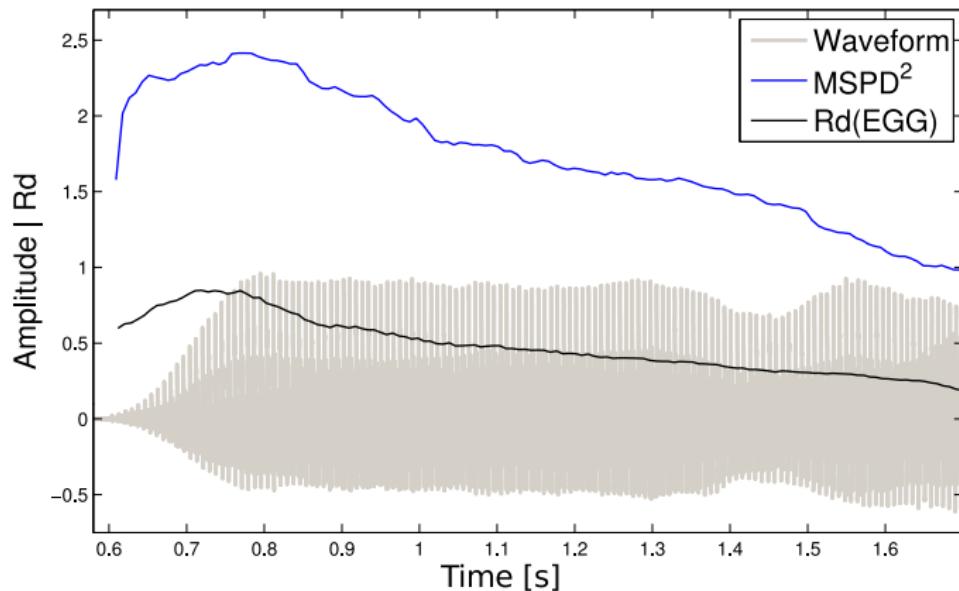
We compare $O_q(Rd)$ vs. $O_q(EGG)$



- IAIF** P. Alku, and H. Tiitinen and R. Naatanen, *A method for generating natural-sounding speech stimuli for cognitive brain research*.
- CC** T. Drugman, B. Bozkurt and T. Dutoit, *Complex Cepstrum-based Decomposition of Speech for Glottal Source Estimation*.
- ZZT** B. Bozkurt, B. Doval, C. d'Alessandro and T. Dutoit, *ZZT representation with application to source-filter separation in speech*.

Example of estimation

Son



Application

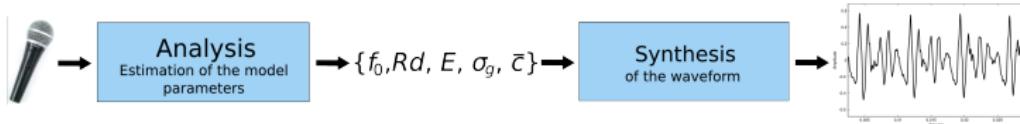
Voice transformation

Analysis/Synthesis - SVLN

Model of the voice production used in SVLN

$$S(\omega) = \left[H^{f_0}(\omega) \cdot G^{Rd}(\omega) + N^{\sigma_g}(\omega) \right] \cdot C_{-}^{\bar{c}}(\omega) \cdot j\omega$$

Analysis/Synthesis procedure



SVLN: *Separation of the Vocal-tract with the Liljencrants-Fant model plus Noise*

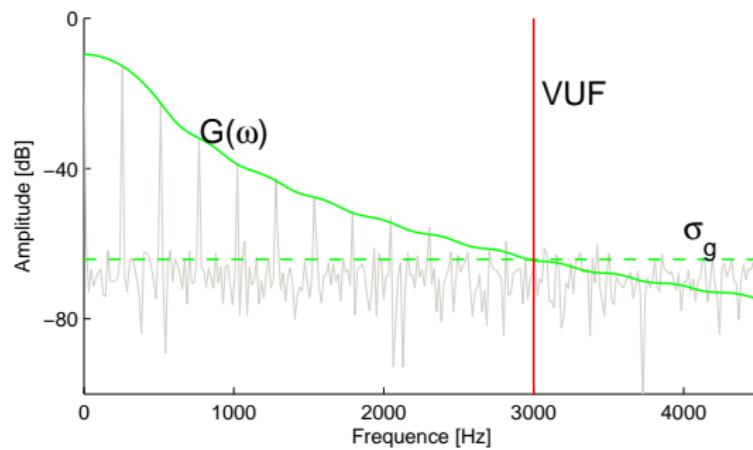
Analysis - Estimation of the glottal source parameters

f_0 Known *a priori*

Rd Method based on MSPD²

E Log energy of the window

σ_g Crossing point between $G(\omega)$ and VUF



VUF known *a priori* by classification of the spectral peaks.

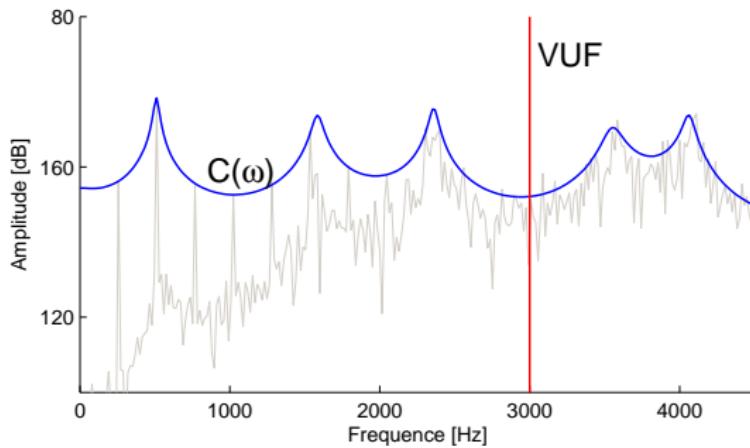
Analysis - Estimation of the VTF

$$C(\omega) = \begin{cases} \mathcal{T}\left(\frac{S(\omega)}{G^{Rd}(\omega) \cdot j\omega}\right) \cdot \gamma^{-1} & \text{if } \omega < \text{VUF} \\ \mathcal{P}\left(\frac{S(\omega)}{G^{Rd}(\text{VUF}) \cdot j\omega}\right) \cdot \frac{\sqrt{\pi/2}}{\gamma \cdot e^{0.058}} & \text{if } \omega \geq \text{VUF} \end{cases}$$

$\mathcal{T}(.)$ The *True-envelope*

$\mathcal{P}(.)$ Real cepstrum

$\gamma = \sum_t \text{win}[t]/(f_s/f_0)$ number of periods in the window.



C. Yeh, *Multiple fundamental frequency estimation of polyphonic recordings*, Ph.D. thesis, UPMC, 2008.

Synthesis

- A sound chunk: Pulses $G(\omega)$ · VTF $C(\omega)$ · Radiation synthesis $L(\omega)$

Synthesis

- A sound chunk: Pulses $G(\omega) \cdot \text{VTF } C(\omega) \cdot \text{Radiation synthesis } L(\omega)$
- *Overlap-add* of the sound chunks

Synthesis

- A sound chunk: Pulses $G(\omega) \cdot \text{VTF } C(\omega) \cdot \text{Radiation synthesis } L(\omega)$
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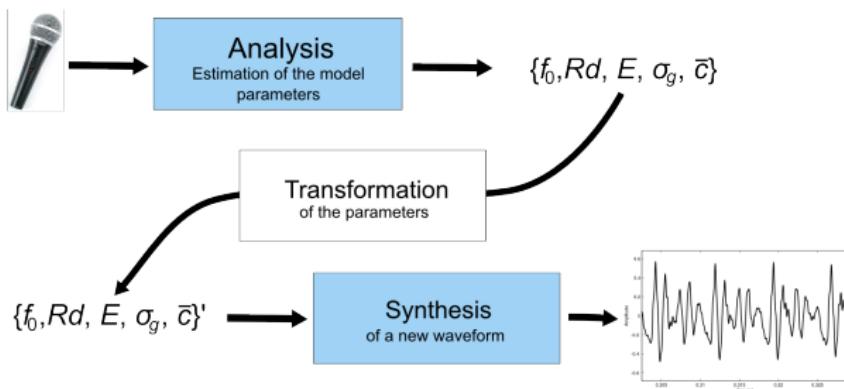
For any observed speech spectrum $S(\omega)$:

$|S(\omega)|$ always reproduced

$\angle S(\omega)$ imposed by the glottal model, the Gaussian noise and the phase of the VTF ($\angle C_-(\omega)$)

Voice transformation

Transformation process





Sound examples

<http://gillesdegottex.eu/SVLN>

Σας ευχαριστώ για την προσοχή σας

Τέλος Ενότητας



Με τη συγχρηματοδότηση της Ελλάδας και της Ευρωπαϊκής Ένωσης

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